

Simplifying fractions

CURRICULUM ALIGNMENT

NUM.FRC.4a explore (model, compare and convert) the relationships between fractions, decimals and percentages.

INTERACTIVES **Fraction Strips** · challenge, display, explore

WHAT THIS LESSON TEACHES

To **simplify** (or 'reduce') a fraction, divide the numerator and denominator by their **highest common factor**. The new fraction has the same value but uses smaller numbers.

→ $8/12 = 2/3$ (divide top and bottom by 4).

→ $15/25 = 3/5$ (divide top and bottom by 5).

LESSON ARC

Hook with $4/8$ on the IWB — hands up for the simplest equivalent. Walk four worked examples on the fraction-strips interactive, locking the top strip and shrinking the bottom: $4/8 \rightarrow 1/2$, $6/9 \rightarrow 2/3$, $12/16 \rightarrow 3/4$, $15/20 \rightarrow 3/4$. Stack three strips together (eighths, quarters, halves) so shaded lengths line up. Pupils write the $\div n/n$ divider step in copies, then tackle the Class Challenge bank ending with $24/36$.

TEACHING MOVES

- Getting Started.** Write $4/8$ on the IWB before pupils settle. Take three hands — expect $2/4$, $1/2$, and 'a half'. Praise all as equivalent, then write $1/2$ underneath and ask 'is that the simplest we can go?' Let the question hang.
- Watch and Notice.** Read the $\div 4/4$, $\div 3/3$ notation aloud as a single divider so pupils hear what they'll soon write. On $12/16$, deliberately pause and pose 'could we have started smaller, with $\div 2/2$?' — show that $\div 2/2$ then $\div 2/2$ lands in the same place as one $\div 4/4$. On $15/20$, name the surprise: different starting fractions, same simplest form.
- Try It Together.** Set the strips one at a time — $4/8$, then $2/4$, then $1/2$ — and after each shading lands ask the watching class whether it 'lines up!' or needs a 'shift it' and take a quick answer. When all three align, revoice: 'three fractions, same shaded length — smallest numbers wins.' No marking this round.
- Work the divide-by step in your copy.** Walk the rows glancing at the divider notation. Either $\div 4/4$ as a single divider or separate top/bottom divisions is fine — what you're checking for is the same number dividing both. Pupils writing $\div 2$ only (forgetting the bottom) need a quick pointer back to the IWB heading.
- Class Challenge.** Pupils take turns at the board; keep it brisk and let the Check button do the confirming. Before each tap, ask the class to predict the divider and take a couple of answers. On $24/36$, pause and ask 'what's the biggest number that divides both?' — 12 in one step, or repeated smaller divides; both are correct.
- What Did We Notice?.** Display-only. Listen for the greatest-common-factor idea in pupil words ('the biggest number that goes into both'). Revoice into the lesson's definition: 'when no number bigger than 1 divides both top and bottom, the fraction is in simplest form.' Reassure pupils who used repeated small divides — same answer, just longer.

COMMON MISCONCEPTIONS

⚠ Pupils divide only the top (or only the bottom): they write $6/8 \div 2 = 3/8$ instead of $3/4$.

⚠ Pupils stop simplifying too early — they write $12/16 \div 2/2 = 6/8$ and underline $6/8$ as the answer. Slide the $6/8$ strip under a halves strip on the IWB. Ask 'can we still divide top and bottom by the same number?' — yes, by 2 again. The simplest-form test is 'no number bigger than 1 divides both', not 'I divided once'.

⚠ Pupils try a divider that doesn't divide both numbers evenly — e.g. for $6/9$ they try $\div 2/2$ and get stuck with $3/4.5$.

Pause and ask 'does 2 divide into 9 evenly?' No. So 2 isn't a common factor of 6 and 9. Run through small numbers — 2? no. 3? yes. That's the divider. The divider must divide BOTH numbers exactly.

DIFFERENTIATION

EMERGING

- Stay with halving ($\div 2/2$) only — $4/8$, $6/8$, $8/10$ — so pupils get fluent with one divider before meeting $\div 3/3$ and $\div 5/5$.
- Pre-stack the strips on the IWB so pupils only have to read off the simpler fraction, not build it from scratch.

DEVELOPING

- After the copy practice, swap in $18/24$ and ask: what's the biggest divider in one step? What if you only knew $\div 2/2$ and $\div 3/3$ — would two small steps still get you there?
- Give a missing-number variant: $12/16 = ?/4$. Pupils work out the divider that fits.

PROFICIENT

- Direct fast finishers to the extension bank on their device while you circulate.
- Pose: 'find two different fractions, neither in simplest form, that share the simplest form $2/5$ '. Pupils justify in their copy.

◦ **Cross-curricular:** Tie to PE — measure the long-jump pit in eighths of a metre, then write each pupil's jump in simplest form on the class results sheet.

ANSWER KEY

a) $8/12 = 2/3$ (divide top and bottom by 4).

Q2: 55 ($11/12 = 55/60$)

b) $6/10 = 3/5$ (divide top and bottom by 2).

Q3: $18/24 = 3/4$

Q1: 21 ($3/4 = 21/28$)

Q4: $27/30 = 9/10$

EXTENSION SHEET · STRETCH ANSWERS

S1: $15/20 = 3/4$

S3: 15 ($3/4 = 15/20$)

S2: 72 ($9/10 = 72/80$)